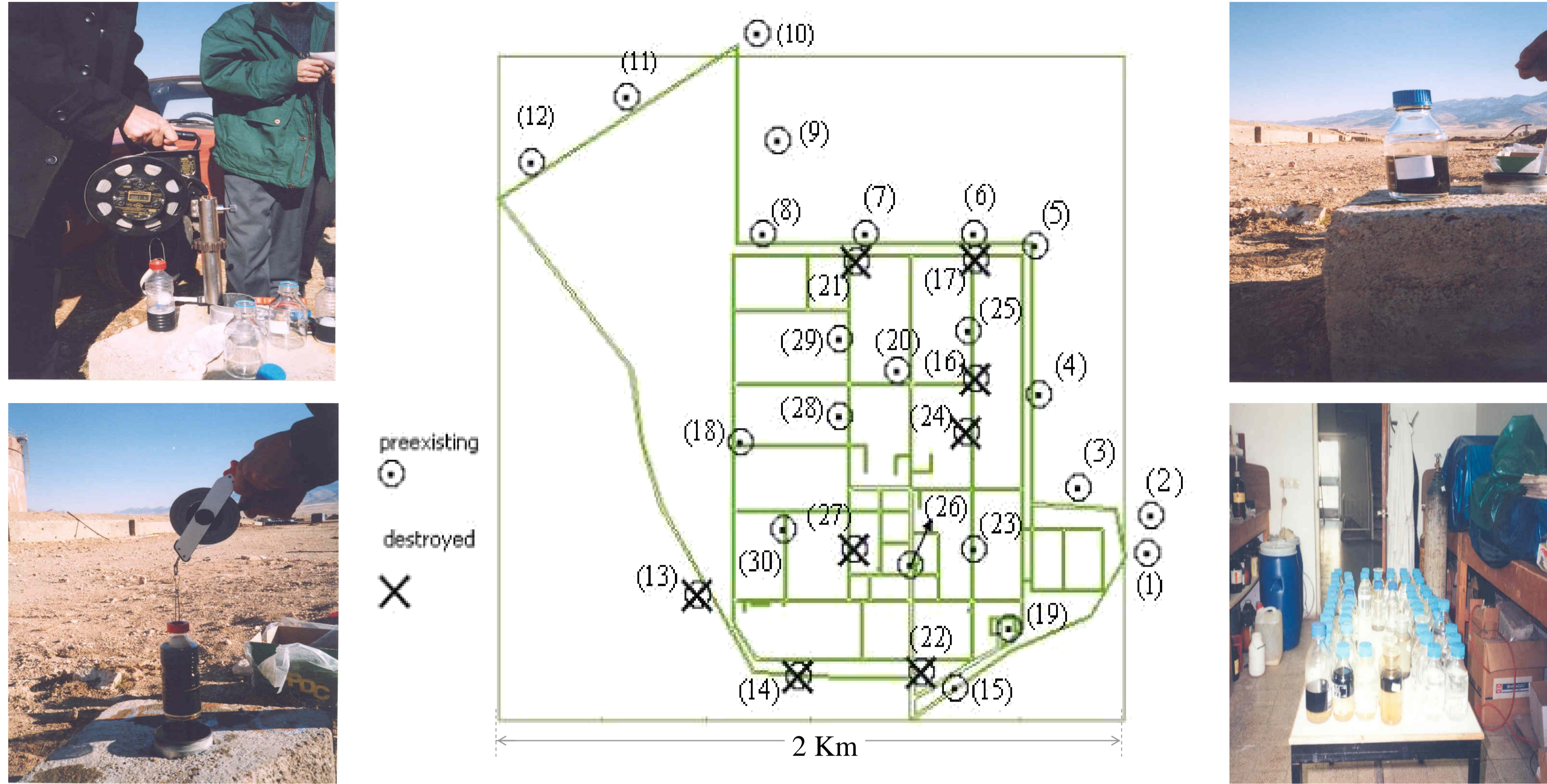


# An optimisation approach for groundwater monitoring network augmentation-

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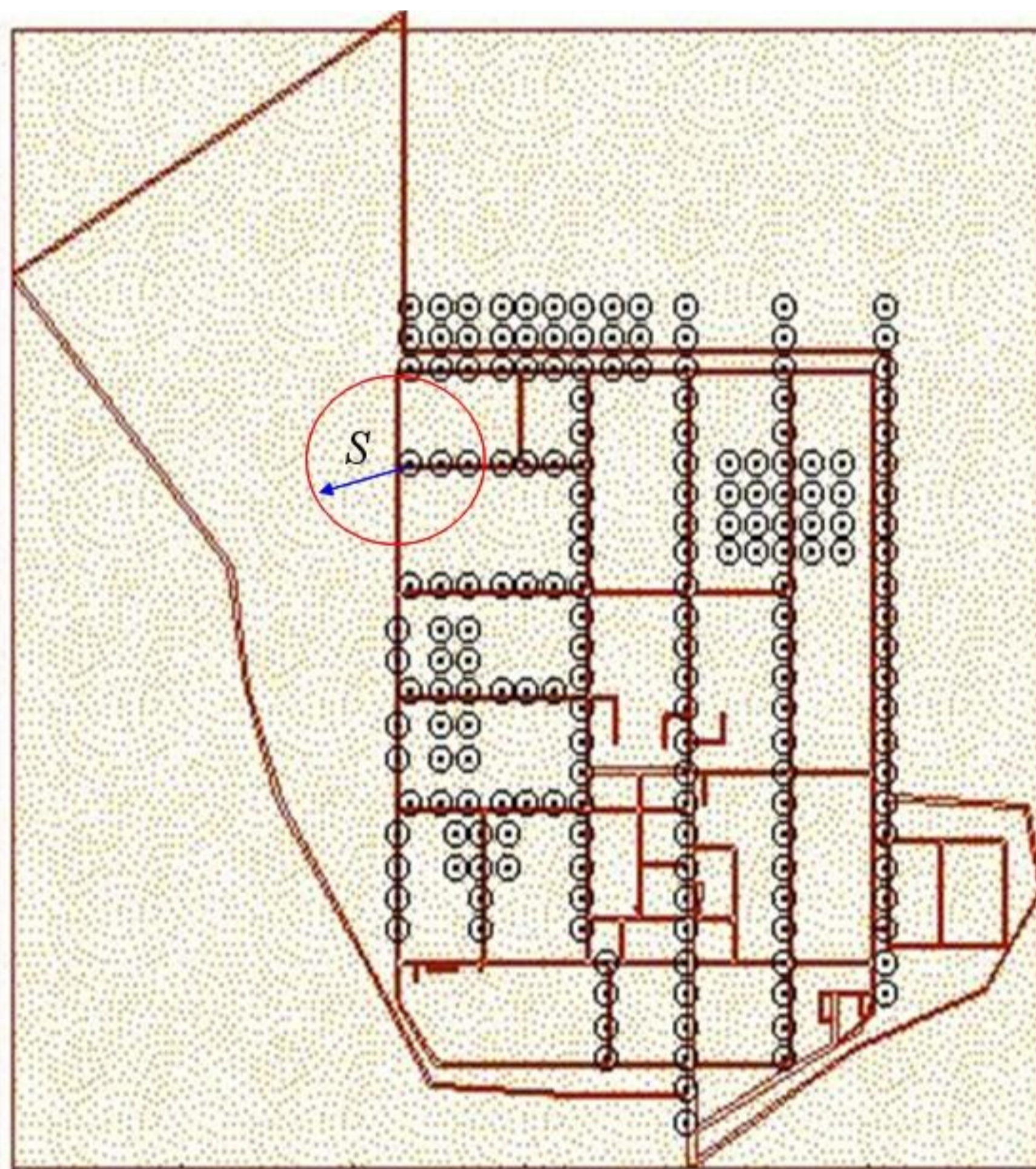
by: Kourosh Azimi

## Background



- Preexisting network of monitoring wells had been lower the groundwater table. 8 of the 30 wells were
- Samples of groundwater from some of the existing v free phase of hydrocarbon (visible LNAPL). Determina extent of contamination (i.e. mound(s) of floating h the groundwater) beneath the refinery was the goal c
- To gain further information on the spatial extent of the augmentation of the network was deemed necessary.
- An integer programming approach, the Maximal Covering Problem (MCLP), was adopted to optimise the augmenta

## Maximal Covering Location Problem (MCLP)



Maximize coverage (population covered) within a desired service distance by locating a fixed number of facilities (Church and ReVelle, 1974). The mathematical formulation of this problem is presented below:

$$\text{Max } Z = \sum_{i \in I} w_i y_i$$

Subject to :

$$\sum_{j \in N_i} x_j \geq y_i \quad (\forall i \in I)$$

$$\sum_{j \in J} x_j = P$$

$$x_j = (0,1) \quad (\forall j \in J)$$

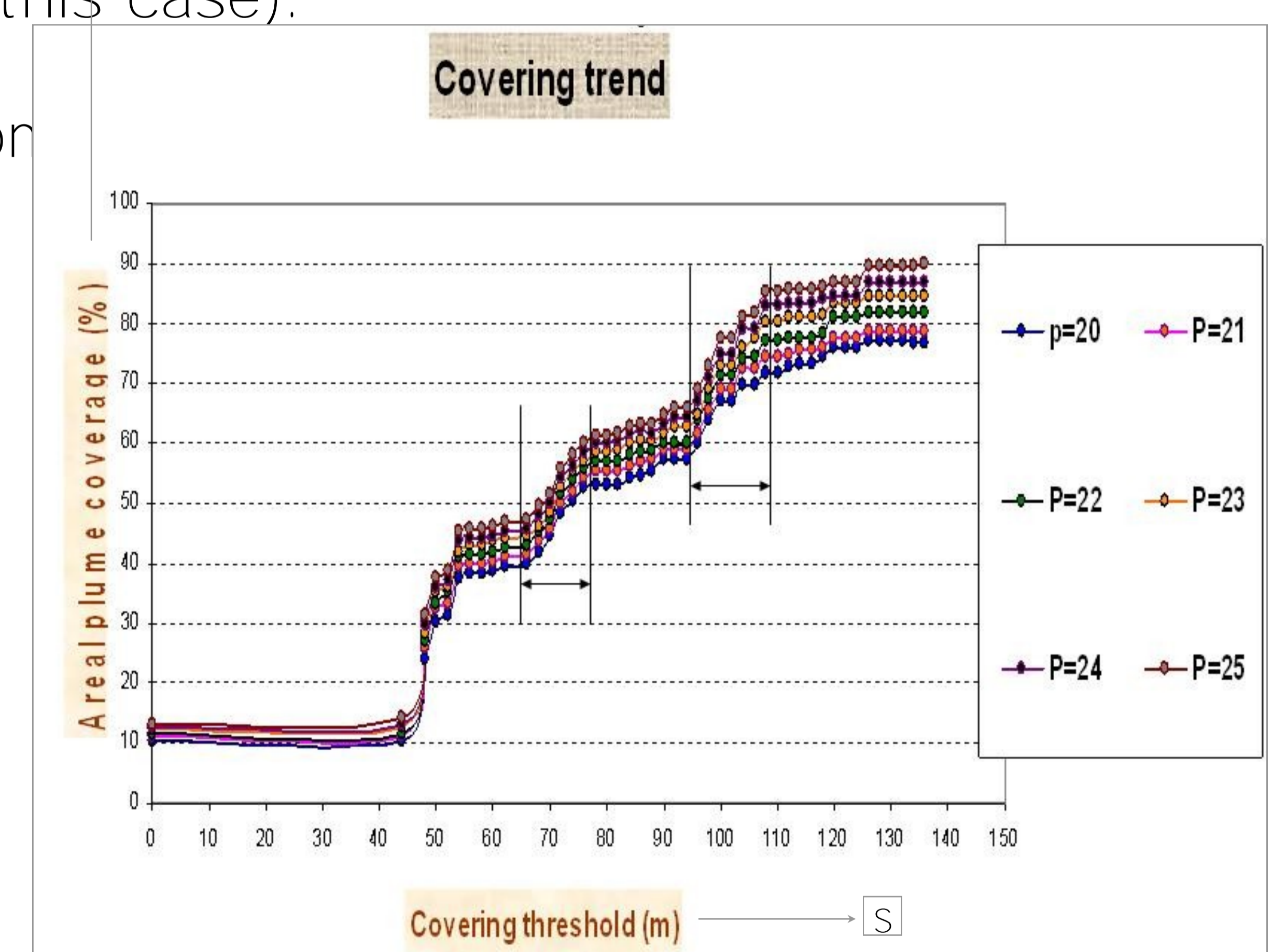
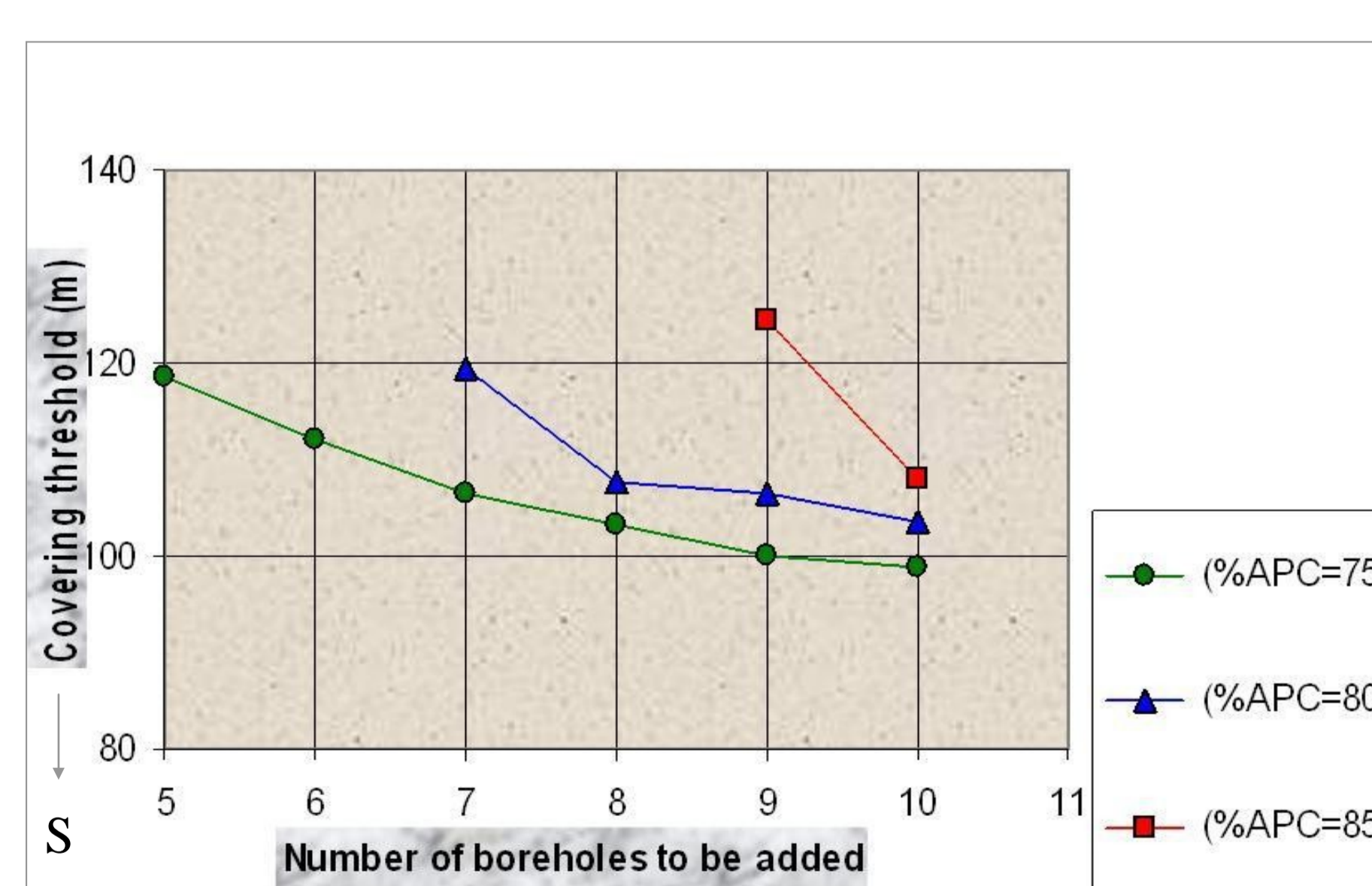
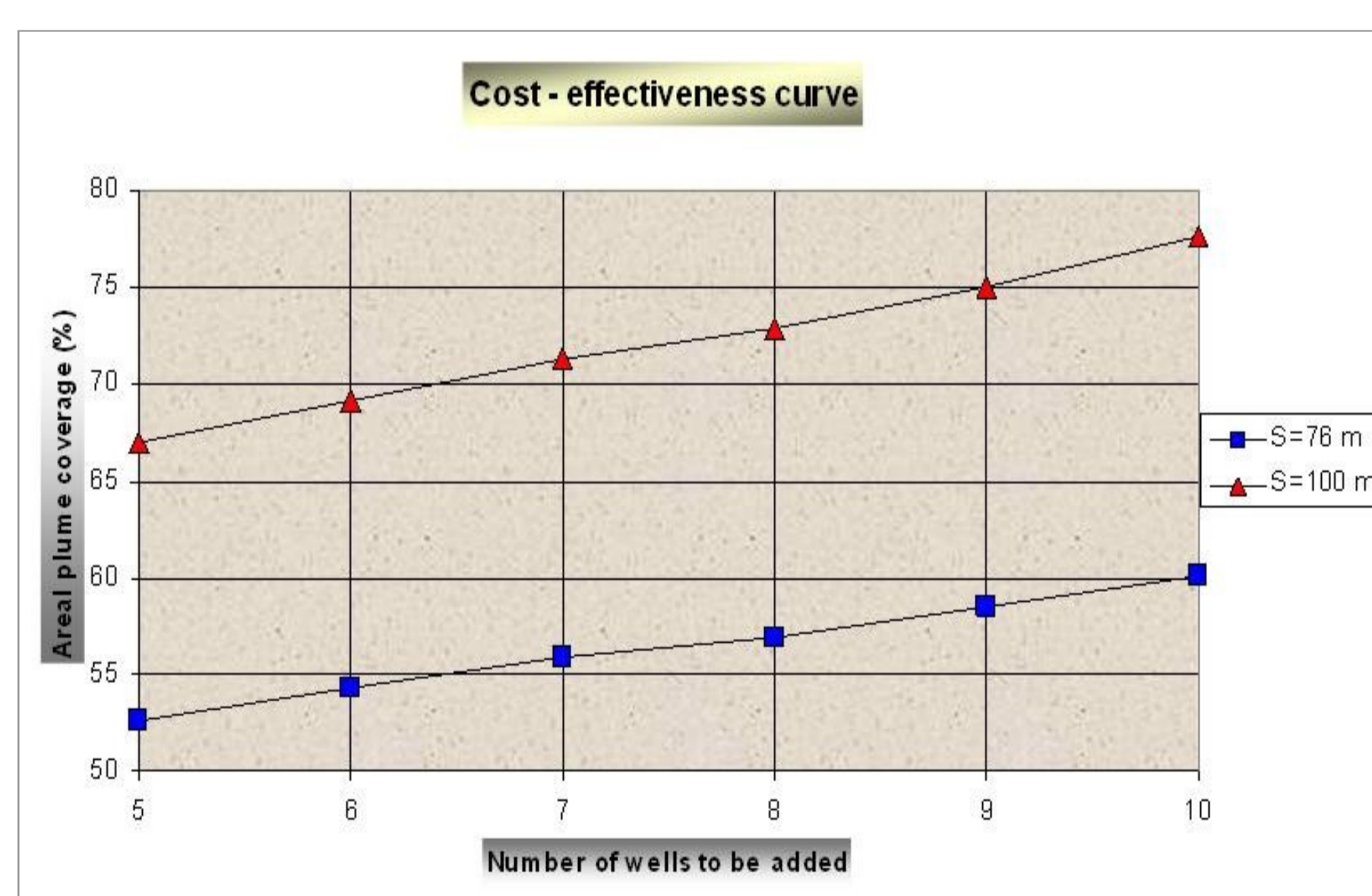
$$x_j = 1 \quad (\forall j \in J_p)$$

$$y_i = (0,1) \quad (\forall i \in I)$$

- $w_i$ : population at node  $i$ ;
- $I$ : set of demand nodes in discretized network;
- $J$ : set of prospective nodes for siting facilities;
- $J_p$ : set of nodes  $j$  occupied by preexisting facilities;
- $N_i = \{j \in J \mid d_{ij} \leq S\}$ ;
- $d_{ij}$ : the shortest distance from node  $i$  to node  $j$ ;
- $S$ : covering distance threshold (maximal service distance);
- $x_j$ : 1 if a facility is located at site  $j$ ; 0 otherwise;
- $y_i$ : 1 if node  $i$  is covered; 0 otherwise;
- $P$ : total number of facilities (pre-existing and added) to be located

## Implementation of the model

- 8 ] g Wf Y h ] n U h ] c b ' c Z ' h \ Y ' g h i X m ' U f Y U ' l b h c ' b Y h k c f ' c Z ' i X Y a U b X D ' b Percentage of nodes (with weight values above zero) that are covered by one or more wells (th
- Nodal weights calculation (estimation via a stochastic interpolator in this case).
- Solution of the integer programming problem (Lingo with supports from
- Further analysis and implementation of the outputs.



## Why the modelling was successful?

- Groundwater samples from 5 out of the 10 added monitoring wells showed free phase of hydrocarbon (i.e. captured the mound). Coverage of the mound by the augmented network was satisfactory.
- Clustering of added monitoring stations at areas with the highest weight (concentration) value U g ' d f Y j Y b h Y X ' ' H \ ] g ' k U g ' g Y d U f U h Y ' m ' ] b j Y g h ] [ U h Y X ' h \ f c i [ \ ' U c b ' U ' d i f Y ' m ' [ Y c g h U h ] g h ] W U ' ' U d d f c U W \ ' f l ] " Y " ' i j U f ] U b W Y ' f Y X i W h ] the optimisation (MCLP) approach.
- Direction of geostatistical anisotropy in the analyses carried out to delineate the extent of the mound (using the data from the augmented network) was in agreement with the groundwater flow.